

Fruits

SEASON 7 – ROUND FOUR



Lora finally decided to quit her job and do something more interesting – selling fruits.

Currently she has N fruits numbered from 1 to N , which she wants to sell. Unfortunately, her new workplace is so narrow that she can only put up one fruit for sale at a time. To make her life simpler, she just puts the fruits in order – **i.e. fruit number i must be sold not later than fruit number $i+1$.**

The price of fruit number i at day 0 is A_i . Every day each fruit ripens and hence the price of fruit number i increases by B_i each day. However, if fruit number i is not sold by day K_i , it rots and has to be thrown away (i.e. sold for price of 0). Formally stated, the price of fruit number i at day d is:

$$\begin{aligned} &A_i + d \cdot B_i \text{ if } d < K_i \\ &0 \text{ if } d \geq K_i \end{aligned}$$

Lora can sell as many fruits as she wants in a single day, as long as she keeps the order, or she could decide to not sell any fruits in a single day. She is now wondering what the maximum profit she can get is.

Note: The days are counted starting from 0. If a certain fruit rots at day 0, then it can never be sold for a price different than 0.

Input

The first line of the input file `fruits.in` contains a single integer N – the amount of fruits.

The second line contains N space-separated integers – the prices of each fruit at day 0 (i.e. the array A).

The third line contains N space-separated integers – the price increases of each fruit for a day (i.e. the array B)

The last line contains N space-separated integers – the days at which each fruit rots (i.e. array K).

Output

On a single line of the output file `fruits.out` print a single number – the maximum profit Lora can achieve, considering the given constraints.

Constraints

$$1 \leq N \leq 5\,000$$

$$0 \leq K_i \leq 10\,000$$

$$0 \leq A_i, B_i \leq 1\,000\,000\,000$$

Fruits

SEASON 7 – ROUND FOUR



Time limit: 0.6 sec

Memory limit: 256 MB

Sample test

Input (fruits.in)	Output (fruits.out)
3 1 2 3 6 4 2 2 1 3	14

Clarifications

The optimal solution is to sell the first fruit at day 1 for $1+1*6=7$. Thus the second fruit rots, since it cannot be sold earlier than the first. We then sell the third fruit at day 2 for $3+2*2=7$. The total profit is $7+7=14$.