# Уравнения 

SEASON 6 - ROUND 3

With your aid Ivancho managed to restore his finances so he is ready to get back to science! Now he is focused on the problem of solving a system of linear equations.

A system of linear equations is the following:

$$
\left\lvert\, \begin{gathered}
a_{11} x_{1}+a_{12} x_{2}+\cdots+a_{1 n} x_{n}=b_{1} \\
a_{21} x_{1}+a_{22} x_{2}+\cdots+a_{2 n} x_{n}=b_{2} \\
\cdots \\
a_{n 1} x_{1}+a_{n 2} x_{2}+\cdots+a_{m n} x_{n}=b_{m}
\end{gathered}\right.
$$

Given $a_{i, j}, 1 \leq i \leq m, 1 \leq j \leq n и \mathrm{~b}_{\mathrm{i}}, 1 \leq i \leq m$ you are asked to find $x_{j}, 1 \leq j \leq n$.
After some intense thinking Ivancho realized that it would be too ambitious (and sometimes even impossible) to search for a solution of a random system of linear equations. That is why he set a more realistic goal - to find an $n$-tuple ( $x_{1}, \ldots, x_{n}$ ), which is as close as possible to a complete solution.

For this purpose you are given two values exact ${ }_{i}$ and aprox $_{i}$ for each equation, which determine the result of a solution. The first value is the bonus for successfully solving the i-th equation. The second value determines the bonus by the following formula (computed separately for each equation $i$ ):

$$
\frac{1}{\left|\sum_{j=1}^{n} a_{i j} x_{j}-b_{i}\right|+1} . \text { aprox }_{i}
$$

The result is formed as a sum of the two bonuses.
It is obvious that any second Ivancho will get bored and will leave the problem to you, but at least he gives you the right to choose - he gives you s $m$-tuples ( $b_{1}, \ldots, b_{m}$ ) and you get to choose which $m$-tuple to use to form the system which will need to be solved.

Write a program that determines the $m$-tuple for which you are going to solve the system and then finds an $n$-tuple of $x$-es which receives as big of a result as possible for the chosen $b$ 's.

## Input

The first line of the input file equations. in contains two positive integers $m$ and $n-$ corresponding to the number of equations in the system and the number of variables. It is followed by $m$ lines with $n+2$ integers per line - the coefficients $a_{i, j}$, exact $t_{i}$ and aprox ${ }_{i}$. The new line contains the number $s$ of $m$-tuples ( $b_{1}, \ldots, b_{m}$ ), and the next $s$ lines contain these $m$-tuples, i.e. $m$ integes.

## Output

On the first line of the output file equations.out write the number of the chosen $m$ tuple (indexed from 1). On the second line output $n$ numbers $-x_{1}, \ldots, x_{n}$, separated by spaces. They must be integers with their absolute value not exceeding $10^{6}$.

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## Scoring

You will receive 0 points if your output does not satisfy the stated conditions and constraints. Otherwise, you will receive 100. $\frac{\text { yourScore }+1}{\text { maxScore }+1}$ percent of the points for each test. We define yourScore as the result of your program for the current test and maxScore as the highest result received by some of the contestants' programs for this test.

## Constraints

```
1 \leq m \leq 2000
1\leqn\leq1000
1 \leq s \leq 20
0}\leq\mp@subsup{a}{ij}{}\leq1\mp@subsup{0}{}{5
10
0}\leq\mp@subsup{\textrm{b}}{\textrm{i}}{}\leq1\mp@subsup{0}{}{9}\mathrm{ for each m-tuple.
```

Notice: The values of $a_{i j}$, exact $t_{i}$, aprox ${ }_{i}$ and $b_{i}$ are randomly generated so that they satisfy the constraints.

| Number of tests | $25 \%$ | $25 \%$ | $25 \%$ | $25 \%$ |
| :---: | :---: | :---: | :---: | :---: |
| $\boldsymbol{m}$ | 800 | 1000 | 1500 | 2000 |
| $\mathbf{n}$ | 1000 | 900 | 1000 | 1000 |
| $\mathbf{s}$ | 1 | 10 | 15 | 20 |

Time limit: 5 sec
Memory limit: $\mathbf{2 5 6}$ MB

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## Example

| Input (equations.in) | Output (equations.out) |
| :--- | :--- |
| 54 | 1 |
| 6456144828044391712856827404250 | 713984870942 |
| 46603850849088643276359810220421 |  |
| 73805768904286262163621170795841 |  |
| 6324150623788417771890601261041 |  |
| 53674133469589353116150825207655 |  |
| 1 |  |
| 17523151146012106293888266414081012 |  |
| 725440535 |  |

## Explanation

The sample output receives result 20212 (the value is casted to integer). It is not guaranteed to be the optimal result.

